A Novel Library for the Correction of a Galvo-Scanner’s Non-Linearity at High Frequencies

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Abstract
Galvo-scanner is a two dimensional beam steering system essentially employed in microscopic imaging modalities. The advent of microscopy in tumor diagnosis and functional imaging of the organs and cells is apparently promising as it can unravel the intricate dynamics of the biological processes at microscopic level in real time. For instantaneous measurement of pigment (melanin) concentration and monitoring the fractional changes in oxygen hemoglobin saturation, the microscopic imaging system must be very rapid in terms of scanning and data acquisition. However the images obtained from such systems were found to be distorted. In an attempt to make the high speed imaging system efficient, we conducted an in-depth study on the problem, its causes and formulated an optimal solution. We studied and analyzed the behavior of a Galvo Scanner (GS) at different scan frequencies. A triangular signal is usually employed to drive the GS. Conventionally, the GS’s mirrors move in accordance with the input control signal at low scan frequencies (less than 100 Hz) but as we advance to higher scan frequencies (more than 700 Hz), GS fails to obey the input due to the inherent mechanical inertia of the mirrors. This scrambles the distance between the microstructures being imaged, thus leading to distortions in the images obtained. Therefore we propose a novel library of (purposely) distorted ramp waveform. Using saw-tooth waveform for scanning also generates images with fewer artifacts compared to a sinusoidal waveform. Different waveforms can be given as an input to the GS driver circuit. However triangular waveform is usually preferred as it generates images with fewer artifacts compared to a sinusoidal waveform. Using saw-tooth waveform for scanning also generates less distortions, however it has the fly back portion that needs to be discarded [14]. The key performance criteria of a GS actuator are its torque/inertia ratio, its maximum peak and Root Mean Square (RMS) torque capability, mechanical resonant frequency, positioning

Keywords
Galvo-scanner; Frequency; Laser scanning and Microscopy.

Introduction
Galvo Scanner (GS) is widely used for lateral laser scanning in various imaging modalities such as photoacoustic microscopy [1-3], confocal microscopy [4-8], and optical coherent tomography [9,10]. GSs are employed in microscopic imaging modalities to steer the focused beam in a two dimensional space. This mechanism is used instead of mechanical scanning using a manual or a motorized XY scanner. The two dimensional scanning using an XY scanner is illustrated in a cartoon in Figure 1. Usually, photoacoustic microscopy requires a scan rate of 1 KHz [1] and most OCT systems operate at 2-200 Hz frame rate and scan frequencies of around 4 MHz have also been reported. Functional imaging microscopy modalities require a higher scanning rate, e.g., 200 KHz for recording real-time, *in-vivo*, data of dynamic processes [11]. Unfortunately, this leads to degradation of the image resolution due to the nonlinear behavior of the GS mirrors. The nonlinear behavior of GS is more pronounced at higher scan rates, i.e., above 1 KHz which corresponds with high acquisition rates, thereby causing a tradeoff between speed and image quality [9]. In this study, we introduce a solution for this problem that can potentially generate images with less artifact in high speed galvoscanner based microscopic imaging systems.

Typically, a GS includes a motor assembly, mirrors, mirror mounts, driver electronics and a heat sink. The angular displacement of the mirrors is directly proportional to the voltage applied to the high speed, current sensitive electrical motors. Open and closed loop are two major types of this device. An open-loop scanner does not have a position detector device while a closed-loop scanner has one. Closed-loop GS is equipped with a position detector, a position correction and feedback signals. These signals are sent to linearize angular deviation [12]. The popularity of the closed-loop GS stems from its unique combination of positioning accuracy, speed, control flexibility, ease of integration and cost for optical scanning applications [13].

Different waveforms can be given as an input to the GS driver circuit. However triangular waveform is usually preferred as it generates images with fewer artifacts compared to a sinusoidal waveform. Using saw-tooth waveform for scanning also generates less distortions, however it has the fly back portion that needs to be discarded [14]. The key performance criteria of a GS actuator are its torque/inertia ratio, its maximum peak and Root Mean Square (RMS) torque capability, mechanical resonant frequency, positioning

![Figure 1: Dual axis Galvo-scanner with galvanometers and mirrors.](Image 307x121 to 549x324)
repeatability characteristics and bearing technology lifetime. The response time of a GS is defined by the torque, constant peak current capability, its inertia and mechanical resonant frequency. The GS’s maximum repetitive frequency depends on its maximum power capability and the ability to dissipate the heat during the operation. The positioning precision of the actuator is determined by its bearing suspension, design sensitivity to manufacturing tolerances and method of integrating a position detector technology into its design [13].

At high input frequency, GS cannot exactly follow the shape of the control signal because of a considerable mechanical inertia in the mirrors [15]. At high scan frequencies, the nonlinear portions of the scanning waveform are the main cause of producing artifacts in the image, which consequently results in the loss of data and clinical misinterpretations. The algorithm implemented in the driver circuit of GSs compares the actual position of the mirror with the expected position at a given voltage. It then generates a correction signal, which is combined with the input signal to be sent to the GS. Despite such correction, at large rates, when the angular deviation nonlinearity becomes stronger, the correct is not as efficient any longer and further correction is required.

The non-linear behavior of the GS occurs due to the inertia when insufficient voltage is applied to stop and turn the mirrors instantaneously [16,17], which eventually causes artifacts and distortions in micro-scale resolution imaging modalities [1-3]. There are various methods to correct the nonlinear effects. It can be observed from equation (1) that the output torque ($\tau$) is proportional to the input voltage ($V$).

$$V = \frac{\tau R}{\kappa} + \kappa \omega$$  

$$\omega = \frac{v}{\kappa} - \frac{R}{\kappa^2}$$  

$$\omega = \frac{\partial \theta}{\partial t}$$

Where $\omega$ is the angular velocity, $\kappa$ is the torque electrical constant of the motor and $R$ is the coil resistance. Therefore the angular displacement $\theta$ of the mirrors is a function of the voltage applied (equations 2 and 3). This explains the principle of working of a GS.

$$L = I\omega$$  

$$\tau = \omega \times L$$  

$$\tau = I\alpha$$

Where $\alpha$ is the angular acceleration and $I$ is the moment of inertia. The angular velocity, $\omega$, of the mirror is directly related to the control (input) signal frequency. Increase in the input frequency causes the mirrors to move faster, this leads to an increase in the angular momentum, $L$ (equation 4). According to the classical physics, the angular momentum of a system remains constant unless an external torque acts on it. Therefore, at input frequencies when there is rapid change in the position of the mirrors, sufficient voltage has to be applied in order to generate enough torque to overcome the inertia and attain the momentum (equations 5 and 6).

In this study, we intend to investigate the behavior of the GS at different scanning speeds and propose a novel dictionary to generate a purposely distorted triangular signal in order to eliminate the non-linear behavior at high frequencies.

### Methods

#### Experimental section

He-Ne laser with the central wavelength of 632.8 nm is spatially filtered by means of an iris and then illuminates on the mirrors of the GS. The Galvo scanner was GVS012, a galvo scanning system with silver-coated mirrors from Thorlabs Inc., USA. One dimensional scanning is done by keeping one mirror stationary while the other one undergoing angular displacement proportional to the input voltage. Initially, we study the effect of frequency of the scanning signal on the GS’s behavior. Triangular waveform of 5 V peak-to-peak amplitude is generated by high speed analog output card (PXI-6711, National Instrument, USA) and applied to the GS driver. A commercial line-scan camera (Linea Gige CMOS Vision Camera, USA) is utilized to record the laser scanning. Sapera LT 8.0 software is used as the image acquisition software.

Line scan camera saturation is reduced by using Beam splitter (70:30) and neutral density filter which is placed before the line-scan camera. Line acquisition rate is proportional to the frequency of GS. Different frequencies from low to high (1000 to 3 kHz) are applied to GS and the line scanner captures the frames with the corresponding line rates (1000 to 80k lines/sec). Figures 2a and 2b shows the schematic and photograph of our setup. To overcome the inertia when the mirrors are made to suddenly start, stop or turn, we generate various templates of distorted ramp signal with the help of a high speed analog output card (PXI-6711, National Instrument, USA). The template signals have voltage values that counteract the nonlinear tendency and force the GS to follow the linear ramp movement. High voltage is applied to the GS at start, turn and stop points. Different templates are generated based on different initial voltage values and the pattern of variation of the voltage values. These distorted ramp signals are sent to the GS driver and frames are captured for frequencies (500 Hz-3000 Hz). The acquired frames are saved in bmp format and then sent to the processing section.

#### Processing section

MATLAB R2015a is used to process the raw data acquired from the experimental setup. In order to find the position of the maximum intensity value in each intensity profile, which represents the position of the GS’s mirror at a specific time, each line of the frame is scanned (Figure 3). The spectrum analysis is performed by calculating the Fourier transform of the signal. Fourier transform spectrums are fit on the desired Gaussian model using Curve Fitting toolbox in MATLAB. Full Width at Half Maximum (FWHM) expression is used as criterion for measuring the spectral width of the frequency profile after performing Gaussian fitting. Equation 7 is used for Gaussian fitting:

$$f(x) = \frac{1}{\sigma \sqrt{2\pi}} \exp\left(-\frac{(x-x_e)^2}{2\sigma^2}\right)$$

Where, $\sigma$ is the standard deviation and $x_e$ is the expected value. The FWHM is calculated as follow.

$$FWHM = 2\sqrt{\ln 2} \sigma \approx 2.355 \sigma$$

We calculated FWHM of the output signal for various templates at different frequencies.

### Results

Triangular waveforms of eight different frequencies with 5 volt peak-to-peak are generated by a high speed analog output card...
The reason for this behavior is inertia. Initially, mirrors in the GS are stationary, so in order to move these mirrors at high frequency, enough voltage is required to overcome the inertia. Similarly, in order to stop or turn the mirrors, we need to supply sufficient voltage. The distorted ramp signals have non-uniform change in amplitudes with respect to time unlike the triangular signals in which the voltages change uniformly with respect to time. The distorted ramp signals were generated by high-speed analog output cards and applied to the GS's driver. Figure 6 shows ten different distorted ramp signals that were applied to the GS.

We generated templates for scan frequencies 500 Hz, 750 Hz, 1000 Hz, 1500 Hz, 2000 Hz, and 3000 Hz as the nonlinear behavior becomes more apparent at high frequencies, and we applied them to the GS's driver. We repeated the experiment and performed processing with the distorted ramp signals and calculated the FWHM for each template. In Table 2, the FWHM of the output signal with distorted ramp as input signal templates is compared to the FWHM of the output signal with a perfect ramp input signal.

From the data in Table 2, we observed that the FWHM of the obtained output signal when distorted ramp signal is fed as an input is lesser when compared to the FWHM obtained when the input was a perfect ramp signal. It is clear that applying enough force to turn or stop the mirrors has a significant effect on FWHM. When we are talking about the decrement in FWHM, it means that at high frequencies, with distorted ramp signals as an input, we will have less harmonics added than with perfect triangular signals. In addition, from Table 2, it can
Figure 4: Fourier transform amplitude of laser position at different frequencies (a) 10 Hz, (b) 50 Hz, (c) 500 Hz, (d) 750 Hz, (e) 1000 Hz, (f) 1500 Hz, (g) 2000 Hz and (h) 3000 Hz.
Discussion

GS does not precisely follow the input triangular signal at high frequencies (>750 Hz) due to the mechanical inertia inherently exist in the configuration of the scanner. Such artifact can be observed through Fourier transform of the signal recorded in a high speed line camera that measures the laser light reflected from it. The non-linear behavior of the GS occurs due to the inertia when insufficient voltage is applied to stop and turn it instantaneously. The problem can be overcome if the sudden movements can be replaced with gradual ones. Therefore, we provide a library of signals that nearly resemble triangular signal and have voltage values that can potentially counteract or overcome the inertia at specific frequencies. Hence based on the nature of application and the operating frequency one can choose a suitable signal from the library. For instance, if a GS based microscopic imaging system requires an operating frequency of 200 Hz, we choose template #10 with a minimum FWHM at this frequency. Similarly for (a scanning rate of 3 KHz), templates #1 or #2 will give efficient results. Template #7 is appropriate for confocal and fluorescence microscopy.

By convention, at higher frequencies, when the inertia effect becomes dominant, high voltages are required to compensate for nonlinearity in the GSs. Voltage values applied to overcome the inertia depends on the scan frequency. The templates were designed in a way that it cancels out the non-linear tendency of the Galvo-scanner thus forcing it to behave linear by making it to follow a ramp. Finally, the non-linearity effect can be further reduced to obtain the optimal set of voltage values in order to make the Galvo-scanner behave perfectly linear.

Summary and Conclusion

In order to study the real-time, in-vivo intricate dynamics of cellular structures and other biological processes, microscopic imaging systems must be equipped with fast pace laser scanning systems. For instance in wide-field functional microscopy systems a scanning rate of 200 KHz is required. The solution that we introduced in this article is by manipulation the triangular signal that is commonly given to the Galvo scanners. The behavior of the GS at different scanning rates, i.e., 10 Hz, 50 Hz, 500 Hz, 750 Hz, 1000 Hz, 1500 Hz, 2000 Hz and 3000 Hz, have been explored. We observed that the GS was incapable of following the input signal at high frequencies. With an aim to make the galvo-scanner behave linear, we designed a library containing a set of template waveforms that have voltage values which can nullify the nonlinear tendency of the galvo-scanner. These waveforms are generated by a high speed analog output card and sent to the GS driver. The displacement of the galvo mirror was traced by a high speed line-scan camera that receives the laser light reflected back from it. Each frame of the line scanner camera was processed to obtain its FFT and the FWHM of it; determine the distortion.

The wide (undesired) FWHM associated with high frequency (>750 Hz) scanning rates was then compensated (eliminate the artificial harmonics in the waveform than the principle harmonic) using the proposed waveform templates; it was significantly decreased. A large library of the templates has generated. These templates are available for research use upon request.

Table 1: Eight different frequencies and correspond FWHM.

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<th>Frequency (Hz)</th>
<th>FWHM</th>
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Figure 5: Eight different frequencies and the correspond FWHM.
Figure 6: Distorted ramp waveforms for Galvo scanner’s nonlinearity correction.
Table 2: Six different high frequencies distorted ramp signal and correspond spectral width in terms of FWHM.

<table>
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<th>Input Signal/Frequency(Hz)</th>
<th>Ramp Signal</th>
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<th>Template 2</th>
<th>Template 3</th>
<th>Template 4</th>
<th>Template 5</th>
<th>Template 6</th>
<th>Template 7</th>
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References